

Pseudo Code :

← Note: Start at Base case!

$$L[i, s] = 0 \quad \forall i$$

$$L[0, v] = \infty \quad \forall v \in V - s$$

for ($i = 1$ to $n-1$) { ← max # edges required is $n-1$ if no neg. cycles (see HW)

for ($v \in V - s$)

$$L[i, v] = \min \left\{ \underbrace{L[i-1, v]}, \underbrace{\min_{(w,v) \in E} L[i-1, w] + l(w,v)} \right\}$$

• Assume have inverse adjacency list

$$A_G^i[v] = \{u : (u, v) \in E\}$$

• Do for loop over $A_G^i[w]$

}

Q: What is runtime of Bellman Ford? (Pick strongest bound)

A) $O(n^2)$

B) $O(mn)$

C) $O(n^3)$

D) $O(m^2)$

$$\sum_{i=1}^{n-1} \sum_v \left(1 + \sum_{(w,v) \in E} 1 \right) = n \left(n + \sum_v \sum_{(w,v) \in E} 1 \right)$$

$$= n(n + m) = O(nm)$$

($n \leq m$ if G is connected)

↑
of edges